

## LIST OF PAPERS BY NÁNDOR SIMÁNYI

November, 2022

1. Algebraic Invariants in the Theory of Shape, *Matematikai Lapok*, **30**, No. 1-3. (1978-1982), pp. 135-153. (In Hungarian.)
2. Random walks with internal states and the Fourier law of heat conduction, *Proc. of the American-Hungarian Workshop on Multivariate Analysis*, Stanford, (1984), 28-31. (Jointly with A. Krámli and D. Szász.)
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4. Heat conduction in caricature models of the Lorentz gas, *J. of Statistical Physics*, **46** (1987), 303-318. (Jointly with A. Krámli and D. Szász.)
5. Two-particle billiard system with arbitrary mass ratio, *Ergodic theory and dynamical systems*, Vol. **9** (1989), 165-171. (Jointly with M. P. Wojtkowski.)
6. Towards a proof of recurrence for the Lorentz process, *Banach Center Publications*, Volume **23**, Dynamical Systems and Ergodic Theory, pp. 265-276 (1989).
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9. The K-property of three billiard balls, *Annals of Mathematics*, **133** (1991), 37-72. (Jointly with A. Krámli and D. Szász.)
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17. The K-Property of Hamiltonian Systems with Restricted Hard Ball Interactions, *Mathematical Research Letters*, **2**, No. 6, 751-770, (1995). (Jointly with D. Szász.)
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19. Ball-avoiding theorems, *Ergodic Theory and Dynamical Systems Abstracts*, eds. K. Baranski, F. Przytycki. Stefan Banach International Mathematical Center 1995.

20. The Characteristic Exponents of the Falling Ball Model, *Communications in Mathematical Physics* **182**, 457-468 (1996).
21. Studying Dynamical Systems With Algebraic Tools, *Progress in Mathematics*, Vol. **169**, pp. 200–210. Birkhäuser Verlag, 1998.
22. Rotation-symmetric Surfaces of Soap Film and the Theorem of Charles Delaunay. *Century 2 of KöMaL* (Published by the Roland Eötvös Physical Society), Vol. **2**, pp. 181–190. (Jointly with Péter Gnädig.)
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25. Ergodicity of Hard Spheres in a Box, *Ergodic Theory and Dynamical Systems* Vol. **19** (1999), 741–766.
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27. Hard Ball Systems and Semi-Dispersive Billiards: Hyperbolicity and Ergodicity. *Encyclopedia of Mathematical Sciences*, Vol. **101**, Mathematical Physics II. Edited by D. Szász, Springer Verlag 2000, pp. 51–88.
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29. Proof of the Boltzmann–Sinai Ergodic Hypothesis for Typical Hard Disk Systems. *Inventiones Mathematicae*, Vol. **154** (2003), No. **1**, pp. 123-178. arXiv:math.DS/0008241
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32. On the complexity of curve fitting algorithms. (Jointly with N. Chernov and C. Lesort.) *Journal of Complexity*, Vol. **20**, Issue 4, August 2004, pp. 484-492. arXiv:cs.CC/0308023
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37. Conditional Proof of the Boltzmann-Sinai Ergodic Hypothesis. *Inventiones Mathematicae*, Vol. **177**, No. **2** (August 2009), pp. 381–413, DOI: 10.1007/s00222-009-0182-x
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45. Caleb C. Moxley, Nandor J. Simányi Homotopical complexity of a 3D billiard flow, in Dynamical Systems, Ergodic Theory, and Probability: in Memory of Kolya Chernov, Contemporary Mathematics, vol. 698, Amer. Math. Soc., Providence, RI, 2017, pp. 169-180. <http://dx.doi.org/10.1090/conm/698/13981>
46. Caleb C. Moxley, Nándor Simányi, Homotopical complexity of a billiard flow on the 3D flat torus with two cylindrical obstacles, *Ergodic Theory and Dynamical Systems*, Vol. **39**, No. **4**, April 2019, pp. 1071-1081. DOI: <https://doi.org/10.1017/etds.2017.62>
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